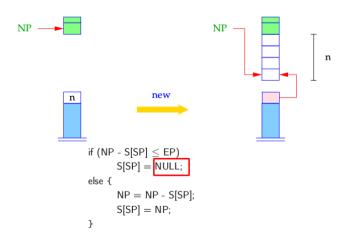
Script generated by TTT

Title: Seidl: Virtual_Machines (25.04.2016)

Date: Mon Apr 25 10:22:32 CEST 2016

Duration: 90:30 min

Pages: 40



- NULL is a special pointer constant, identified with the integer constant 0.
- In the case of a collision of stack and heap the NULL-pointer is returned.

What can we do with pointers (pointer values)?

- set a pointer to a storage cell,
- dereference a pointer, access the value in a storage cell pointed to by a pointer.

There a two ways to set a pointer:

(1) A call malloc(e) reserves a heap area of the size of the value of e and returns a pointer to this area:

$$code_R$$
 malloc (e) $\rho = code_R$ e ρ

$$code_R$$
 (&e) $\rho = code_L e \rho$

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There a two ways to set a pointer:

 A call malloc (e) reserves a heap area of the size of the value of e and returns a pointer to this area:

$$code_R$$
malloc (e) $\rho = code_R$ e ρ **new**

$$\operatorname{code}_{\mathbb{R}}(\&e) \ \rho = \operatorname{code}_{\mathbb{L}} e \ \rho$$

Dereferencing of Pointers

The application of the operator * to the expression e returns the contents of the storage cell, whose address is the R-value of e:

$$code_L (*e) \rho = code_R e \rho$$

Example Given the declarations

$$\begin{array}{l} {\bf struct}\ t\ \{\ {\bf int}\ a[7];\ {\bf struct}\ t\ *b;\ \};\\ {\bf int}\ i,j;\\ {\bf struct}\ t\ *pt; \end{array}$$

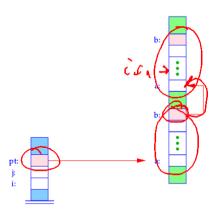
and the expression ((pt o b) o a)[i+1]

Because of $e \rightarrow a \equiv (*e).a$ holds:

$$\operatorname{code}_{\mathbb{L}}(e \to a) \rho = \operatorname{code}_{\mathbb{R}} e \rho$$

$$\operatorname{loadc}(\rho a)$$
add

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Dereferencing of Pointers

The application of the operator * to the expression e returns the contents of the storage cell, whose address is the R-value of e:

$$code_L (*e) \rho = code_R e \rho$$

Example Given the declarations

struct
$$t$$
 { int a [7]; struct t * b ; }; int i , j ; struct t * pt ;

and the expression $((pt \rightarrow b) \rightarrow a)[i+1]$

Because of $e \rightarrow a \equiv (*e).a$ holds:

$$\operatorname{code}_{\mathbb{L}}(e \to a) \rho = \operatorname{code}_{\mathbb{R}} e \rho$$

$$\operatorname{loadc}(\rho a)$$
add

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Be
$$\rho = \{i \mapsto 1, j \mapsto 2, pt \mapsto 3, a \mapsto 0, b \mapsto 7\}$$
. Then:

$$\begin{array}{lllll} \operatorname{code_L} \; ((pt \to b) \to a)[i+1] \; \rho \\ &= & \operatorname{code_R} \; ((pt \to b) \to a) \; \rho & = & \operatorname{code_R} \; ((pt \to b) \to a) \; \rho \\ & & \operatorname{code_R} \; (i+1) \; \rho & & \operatorname{loada} \; 1 \\ & & \operatorname{loadc} \; 1 & & \operatorname{loadc} \; 1 \\ & & \operatorname{mul} & & \operatorname{add} & & \operatorname{loadc} \; 1 \end{array}$$

mul add For arrays, their R-value equals their L-value. Therefore:

$$\operatorname{code}_{\mathbb{R}}\left((pt \to b) \to a\right)
ho \hspace{1cm} = \hspace{1cm} \operatorname{code}_{\mathbb{R}}\left(pt \to b\right)
ho \hspace{1cm} = \hspace{1cm} \operatorname{loada} 3$$

$$\hspace{1cm} \operatorname{loadc} 0 \hspace{1cm} \operatorname{loadc} 7$$

$$\hspace{1cm} \operatorname{add} \hspace{1cm} \operatorname{load} \hspace{1cm} \operatorname{loadc} 0$$

$$\hspace{1cm} \operatorname{loadc} 0$$

$$\hspace{1cm} \operatorname{add} \hspace{1cm} \operatorname{add} \hspace{1cm} \operatorname{loadc} 0$$

In total, we obtain the instruction sequence:

loada 3	load	loada 1	loadc 1
loadc 7	loadc 0	loadc 1	mul
add	add	add	add

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$$\operatorname{code}_{\operatorname{L}}(*e) \rho = \operatorname{code}_{\operatorname{R}} e \rho$$
 $\operatorname{code}_{\operatorname{L}} x \rho = \operatorname{loadc}(\rho x)$
 $\operatorname{code}_{\operatorname{R}}(\&e) \rho = \operatorname{code}_{\operatorname{L}} e \rho$
 $\operatorname{code}_{\operatorname{R}} e \rho = \operatorname{code}_{\operatorname{L}} e \rho$
 $\operatorname{code}_{\operatorname{R}}(e_1 \square e_2) \rho = \operatorname{code}_{\operatorname{R}} e_1 \rho$
 $\operatorname{code}_{\operatorname{R}}(e_2 \square e_2) \rho = \operatorname{code}_{\operatorname{R}}(e_2 \square e_2) \rho$
 op
 op

7 Conclusion

We tabulate the cases of the translation of expressions:

$$\begin{array}{rcl} \operatorname{code_L}\left(e_1[e_2]\right)\rho & = & \operatorname{code_R}e_1\;\rho \\ & & \operatorname{code_R}e_2\;\rho \\ & & \operatorname{loadc}|t| \\ & & \operatorname{mul} \\ & \operatorname{add} & & \operatorname{if}e_1\operatorname{has}\operatorname{type}t*\operatorname{or}t[] \\ \\ \operatorname{code_L}\left(e.a\right)\rho & = & \operatorname{code_L}e\;\rho \\ & & \operatorname{loadc}\left(\rho\,a\right) \\ & & \operatorname{add} & & \\ \end{array}$$

$$\operatorname{code}_{\mathbb{R}} q \,
ho \hspace{1cm} = \hspace{1cm} \operatorname{loadc} q \hspace{1cm} q \hspace{1cm} \operatorname{constant}$$
 $\operatorname{code}_{\mathbb{R}} (e_1 = e_2) \,
ho \hspace{1cm} = \hspace{1cm} \operatorname{code}_{\mathbb{R}} e_2 \,
ho \hspace{1cm} \operatorname{code}_{\mathbb{L}} e_1 \,
ho \hspace{1cm} \operatorname{store}$

$$\operatorname{code}_{\mathbb{R}} e \,
ho \hspace{1cm} = \hspace{1cm} \operatorname{code}_{\mathbb{L}} e \,
ho \hspace{1cm} \operatorname{load} \hspace{1cm} \operatorname{otherwise}$$

```
code(s_1s_2) \rho =
                     loadc 7
                                                        loadc 5
                     loadc 2
                                                        loadc 17
                                    size of int[10]
                      loadc 10
                                                        load
                                 // scaling
                                                        loadc 3
                      mul
                      add
                                                        loadc 10
                                                                   // size of int[10]
                                                                   // scaling
                     loadc 17
                                                        mul
                                                         add
                     store
                                 // end of s_1
                      pop
                                                         store
                                                                   // end of s_2
                                                        pop
```

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```
code(s_1s_2) \rho =
                     loadc 7
                                                         loadc 5
                     loadc 2
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                                                         load
                                // size of int[10]
                     loadc 10
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                     mul
                                                                    // size of int[10]
                      add
                                                         loadc 10
                                                                    // scaling
                     loadc 17
                                                         mul
                                                         add
                     store
                                // end of s_1
                     pop
                                                         store
                                                                    // end of s_2
                                                         pop
```

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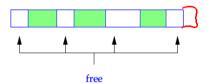
```
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                         loadc 7
                                                                   loadc 5
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                                                                   load
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                                      // scaling
                                                                   loadc 3
                         mul
                                                                  loadc 10
                                                                                // size of int[10]
                          \operatorname{\mathsf{add}}
                                                                                // scaling
                         loadc 17
                                                                   mul
                                                                   add
                         store
                                      // end of s_1
                         pop
                                                                   store
                                                                                // end of s_2
                                                                   pop
```

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8 Freeing Occupied Storage

Problems

- The freed storage area is still referenced by other pointers (dangling references).
- After several deallocations, the storage could look like this (fragmentation):



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9 Functions

The definition of a function consists of:

- a name by which it can be called;
- a specification of the formal parameters;
- a possible result type;
- a block of statements.

In C, we have:

 $\operatorname{code}_{\mathbb{R}} f \rho = \operatorname{loadc} f = \operatorname{start} \operatorname{address} \operatorname{of the code} \operatorname{for} f$

==> Function names must be maintained within the address environment!

Potential Solutions

- Trust the programmer. Manage freed storage in a particular data structure (free list)
 malloc or free my become expensive.
- Do nothing, i.e.:

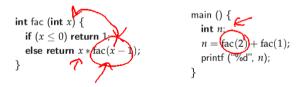
$$code free (e); \rho = code_R e \rho$$

simple and (in general) efficient.

Use an automatic, potentially "conservative" Garbage-Collection, which
occasionally collects certainly inaccessible heap space.

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Example



At every point of execution, several instances (calls) of the same function may be active, i.e., have been started, but not yet completed.

The recursion tree of the example:



We conclude:

The formal parameters and local variables of the different calls of the same function (the instances) must be kept separate.

Idea

Allocate a dedicated memory block for each call of a function.

In sequential programming languages, these memory blocks may be maintained on a stack. Therefore, they are also called stack frames.

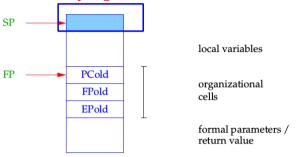
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Caveat

- The local variables receive relative addresses $+1, +2, \dots$
- The formal parameters are placed below the organizational cells and therefore have negative addresses relative to FP.
- This organization is particularly well suited for function calls with variable number of arguments as, e.g., for printf.
- The memory block of parameters is recycled for storing the return value of the function.

Simplification: The return value fits into a single memory cell.

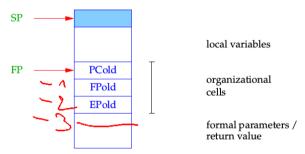
9.1 Memory Organization for Functions



 $\mathsf{FP} \cong \mathsf{Frame}$ Pointer; points to the last organizational cell and is used for addressing the formal parameters and local variables.

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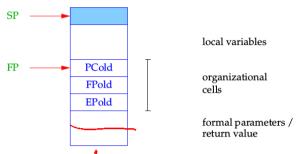
72

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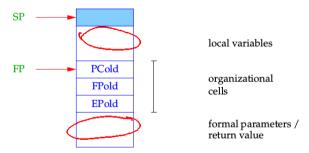


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7

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9.2 Determining Address Environments

We distinguish two kinds of variables:

- 1. global/extern that are defined outside of functions;
- local/intern/automatic (inkluding formal parameters) which are defined inside functions.

The address environment ρ maps names onto pairs $(tag,a) \in \{G,L\} \times \mathbb{Z}$. Caveat

- In general, there are further refined grades of visibility of variables.
- Different parts of a program may be translated relative to different address environments!

Caveat

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- This organization is particularly well suited for function calls with variable number of arguments as, e.g., for printf.
- The memory block of parameters is recycled for storing the return value of the function.

Simplification: The return value fits into a single memory cell.

Tasks of a Translator for Functions

- Generate code for the body of the function!
- Generate code for calls!

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Example

Address Environments Occurring in the Program

0 Before the Function Definitions:

$$\rho_0: \quad i \quad \mapsto \quad (G,1)$$

$$I \quad \mapsto \quad (G,2)$$
...

1 Inside of ith:

$$\rho_1: i \mapsto (L, -4) \\
x \mapsto (L, -3) \\
I \mapsto (G, 2) \\
ith \mapsto (G, _ith) \\
\dots$$

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Caveat

- The actual parameters are evaluated from right to left !!
- The first parameter resides directly below the organizational cells.
- For a prototype $\tau f(\tau_1 x_1, \dots, \tau_k x_k)$ we define:

$$x_1 \mapsto (L, -2 - |\tau_1|)$$
 $x_i \mapsto (L, -2 - |\tau_1| - \ldots - |\tau_i|)$

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#T ->

FP-3



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0 Before the Function Definitions:

$$\rho_0: \quad i \quad \mapsto \quad (G,1)$$

$$I \quad \mapsto \quad (G,2)$$

1 Inside of ith:

$$\begin{array}{cccc} o_1: & i & \mapsto & (L,-4) \\ & \times & \mapsto & (L,-3) \\ & I & \mapsto & (G,2) \\ & \text{ith} & \mapsto & (G,_\text{ith}) \end{array}$$

Example

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- For a prototype $\tau f(\tau_1 x_1, \dots, \tau_k x_k)$ we define:

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2 Inside of main:

Caveat

- The actual parameters are evaluated from right to left !!
- The first parameter resides directly below the organizational cells.
- For a prototype $\tau f(\tau_1 x_1, ..., \tau_k x_k)$ we define:

$$x_1 \mapsto (L, -2 - |\tau_1|)$$
 $x_i \mapsto (L, -2 - |\tau_1| - \ldots - |\tau_i|)$

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9.3 Calling/Entering and Exiting/Leaving Functions

Assume that f is the current function, i.e., the caller, and f calls the function g, i.e., the callee.

The code for the call must be distributed between the caller and the callee.

The distribution can only be such that the code depending on information of the caller must be generated for the caller and likewise for the callee.

Caveat

The space requirements of the actual paramters is only known to the caller ...

Actions when entering g:

1.	Evaluating the actual parameters	mark)	
2.	2. Saving of FP, EP			
3.	Determining the start address of g		are part of j	
4.	Setting of the new FP		(are pairer)	
5.	Saving PC and	call		
	Jump to the beginning of g	J	J	
6.	Setting of new EP	enter	are part of g	
7.	Allocating of local variables	alloc	(are part or g	