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**“What advanced techniques are there besides multiple implementation inheritance?”**



## Programming Languages

Mixins

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Winter 2014

## Outline



### Weak implementation inheritance

- 1 Decorator Problem
- 2 Wrapper Problem

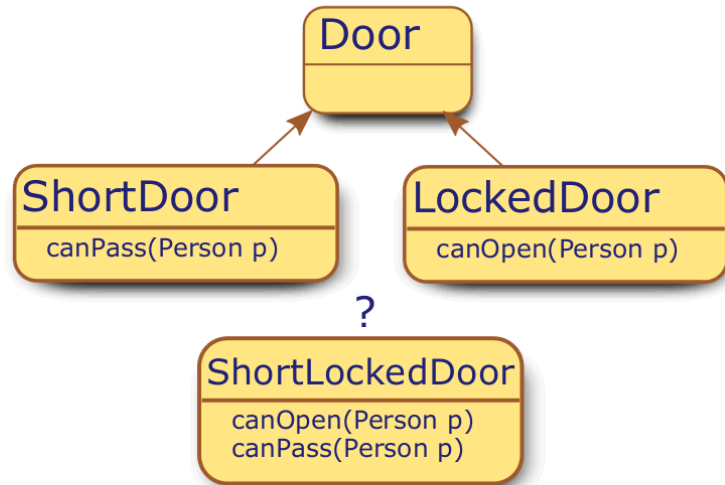
### Inheritance in Detail

- 1 Models for single inheritance
- 2 Introducing Mixins
- 3 Modelling Mixins

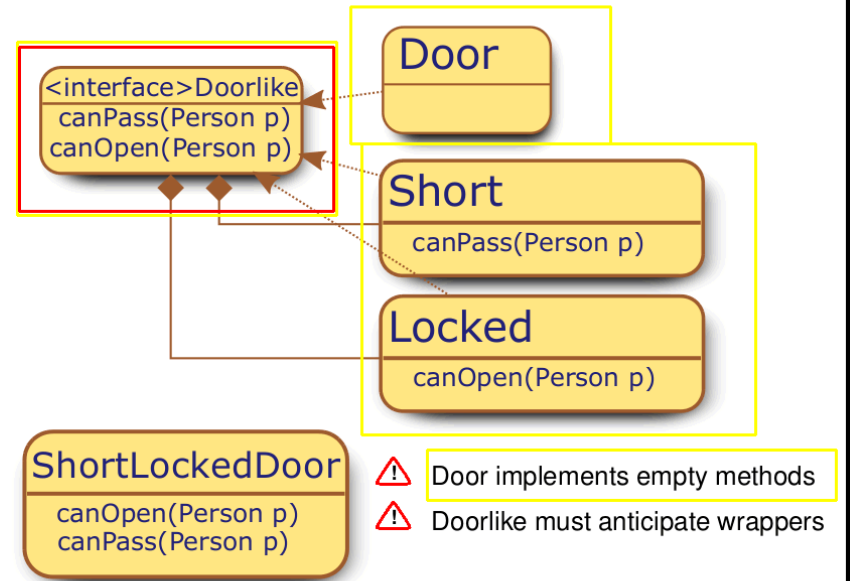
### Mixins in the wild

- 1 Mixins as C++-Pattern
- 2 Native Mixins

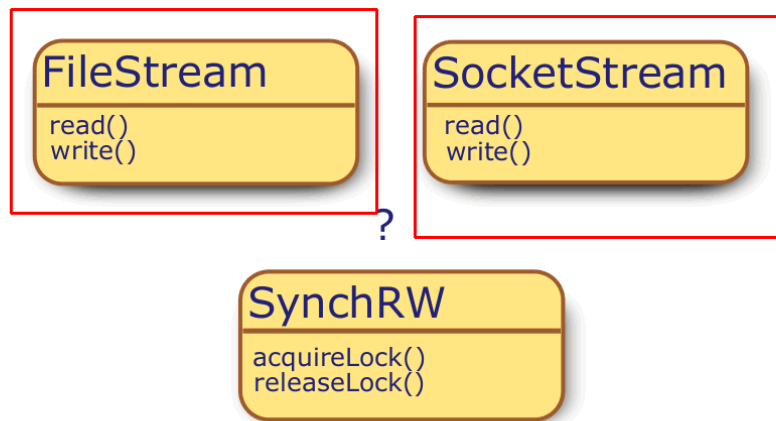
# The Adventure Game



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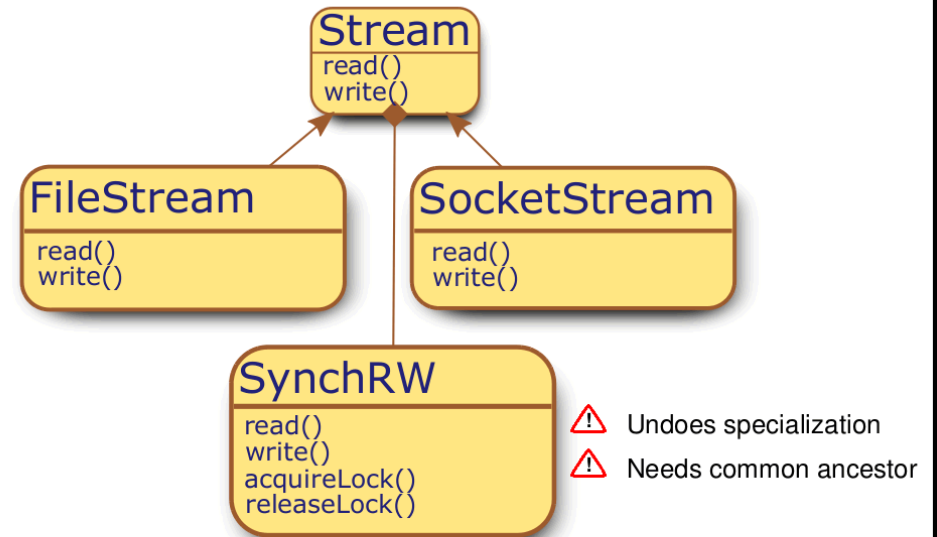


# The Wrapper



- ⚠ Cannot inherit from both separately
- ⚠ Creating new wrapping Classes duplicates code

# The Wrapper



## Classes and Methods

The building blocks for classes are

- a countable set of method *names*  $\mathcal{N}$
- a countable set of method *bodies*  $\mathbb{B}$

Classes map names to elements from the *flat lattice*  $\mathcal{B}$  (called bindings), consisting of:

- method bodies  $\in \mathbb{B}$  or classes  $\in \mathcal{C}$
- attribute offsets  $\in \mathbb{N}^+$
- $\perp$  (yet) undefined
- $\top$  in conflict

and the partial order  $\perp \sqsubseteq m \sqsubseteq \top$  for each  $m \in \mathcal{B}$

### Definition (Abstract Class $\in \mathcal{C}$ )

A partial function  $c : \mathcal{N} \mapsto \mathcal{B}$  is called abstract class.

### Definition (Interface and Class)

An abstract class  $c$  is called (with pre being the preimage)

*interface* iff  $\forall_{n \in \text{pre}(c)} \cdot c(n) = \perp$ .

*(concrete) class* iff  $\forall_{n \in \text{pre}(c)} \cdot \perp \sqsubset c(n) \sqsubset \top$ .

## Computing with Classes and Methods

### Definition (Family of classes $\mathcal{C}$ )

We call the set of all maps from names to bindings the family of abstract classes  $\mathcal{C} := \mathcal{N} \mapsto \mathcal{B}$ .

Several possibilities for composing maps  $\mathcal{C} \square \mathcal{C}$ :

- the symmetric join  $\sqcup$ , defined componentwise:

$$(c_1 \sqcup c_2)(n) = b_1 \sqcup b_2 = \begin{cases} b_2 & \text{if } b_1 = \perp \\ b_1 & \text{if } b_2 = \perp \\ b_2 & \text{if } b_1 = b_2 \\ \top & \text{otherwise} \end{cases} \quad \text{where } b_i = c_i(n)$$

- in contrast, the asymmetric join  $\uparrow \sqcup$ , defined componentwise:

$$(c_1 \uparrow \sqcup c_2)(n) = \begin{cases} c_1(n) & \text{if } n \in \text{pre}(c_1) \\ c_2(n) & \text{otherwise} \end{cases}$$

$c_1(u) = \perp$

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$c_1(u) = \perp$

## Example: Smalltalk-Inheritance



*Smalltalk* inheritance

- is the archetype for inheritance in mainstream languages like Java or C#
- inheriting smalltalk-style establishes a reference to the parent

### Definition (Smalltalk inheritance ( $\triangleright$ ))

Smalltalk inheritance is the binary operator  $\triangleright : \mathcal{C} \times \mathcal{C} \mapsto \mathcal{C}$ , defined by  $c_1 \triangleright c_2 = \{\text{super} \mapsto c_2\} \uplus (c_1 \uplus c_2)$

### Example: Doors

$$\begin{aligned} \text{Door} &= \{\text{canPass} \mapsto \perp, \text{canOpen} \mapsto \perp\} \\ \text{LockedDoor} &= \{\text{canOpen} \mapsto 0x4204711\} \triangleright \text{Door} \\ &= \{\text{super} \mapsto \text{Door}\} \uplus (\{\text{canOpen} \mapsto 0x4204711\} \uplus \text{Door}) \\ &= \{\text{super} \mapsto \text{Door}, \text{canOpen} \mapsto 0x4204711, \text{canPass} \mapsto \perp\} \end{aligned}$$

## Excursion: Beta-Inheritance



In *Beta*-style inheritance

- the design goal is to provide security from replacement of a method by a different method.
- methods in parents dominate methods in subclass
- the keyword `inner` explicitly delegates control to the subclass

### Definition (Beta inheritance ( $\triangleleft$ ))

Beta inheritance is the binary operator  $\triangleleft : \mathcal{C} \times \mathcal{C} \mapsto \mathcal{C}$ , defined by  $c_1 \triangleleft c_2 = \{\text{inner} \mapsto c_1\} \uplus (c_2 \uplus c_1)$

Example (equivalent syntax):

```
class Person {
  String name = "Axel Simon";
  public String toString(){ return name+inner.toString(); };
};
class Graduate extends Person {
  public extension String toString(){ return ", Ph.D."; };
};
```

## Extension: Attributes



*Remark:* Modelling attributes is not in our main focus. Anyway, most mainstream languages nowadays are designed so that attributes are not overwritten:

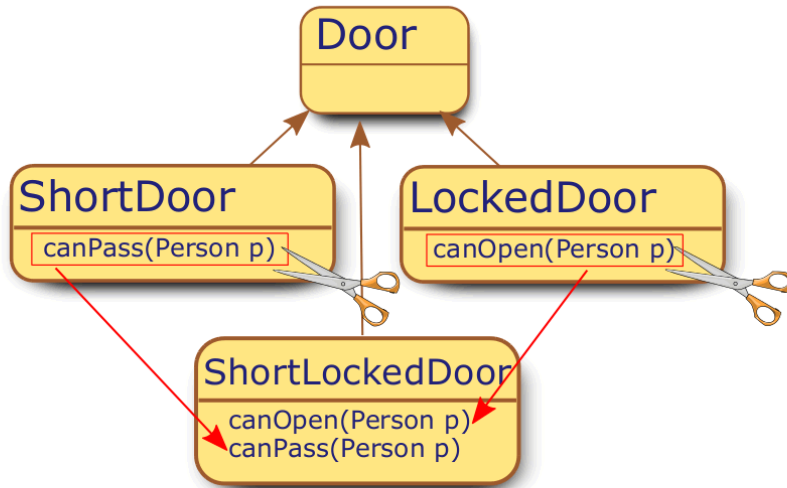
### Definition (Mainstream inheritance ( $\triangleright'$ ))

The extended mainstream inheritance  $\triangleright' : \mathcal{C} \times \mathcal{C} \mapsto \mathcal{C}$  binds attributes statically:

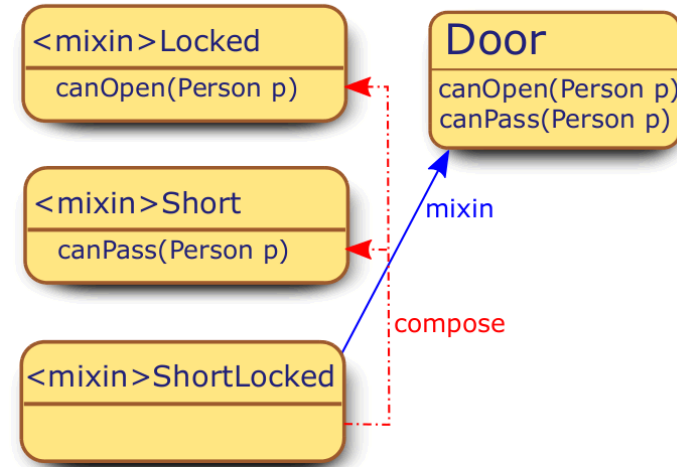
$$(c_1 \triangleright' c_2)(n) = \begin{cases} c_2 & \text{if } n = \text{super} \\ \top & \text{if } n \in \text{pre}(c_1) \wedge c_2(n) \in \mathbb{N}^+ \\ c_1(n) & \text{if } n \in \text{pre}(c_1) \\ c_2(n) & \text{otherwise} \end{cases}$$

“So what do we really want?”

## Adventure Game with Code Duplication



## Adventure Game with Mixins



## Adventure Game with Mixins



```

class Door {
    boolean canOpen(Person p) { return true; };
    boolean canPass(Person p) { return p.size() < 210; };
}
mixin Locked {
    boolean canOpen(Person p){
        if (!p.hasItem(key)) return false; else return super.canOpen(p);
    }
}
mixin Short {
    boolean canPass(Person p){
        if (p.height()>1) return false; else return super.canPass(p);
    }
}
class ShortDoor = Short(Door);
class LockedDoor = Locked(Door);
mixin ShortLocked = Short o Locked;
class ShortLockedDoor = Short(Locked(Door));
class ShortLockedDoor2 = ShortLocked(Door);
    
```

## Abstract model for Mixins



A Mixin is a *unary second order type expression*. In principle it is a curried version of the Smalltalk-style inheritance operator. In certain languages, programmers can create such mixin operators:

### Definition (Mixin)

The mixin constructor  $mixin : \mathcal{C} \mapsto (\mathcal{C} \mapsto \mathcal{C})$  is a unary class function, creating a unary class operator, defined by:

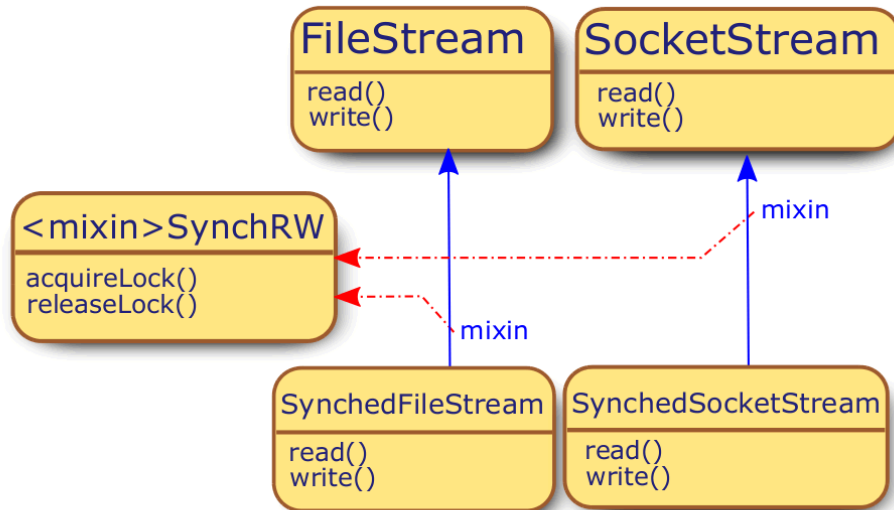
$$mixin(c) = \lambda x . c \triangleright x$$

⚠ Note: Mixins can also be composed  $\circ$ :

### Example: Doors

$$\begin{aligned}
 Locked &= \{canOpen \mapsto 0x1234\} \\
 Short &= \{canPass \mapsto 0x4711\} \\
 Composed &= mixin(Short) \circ (mixin(Locked)) = \lambda x . Short \triangleright (Locked \triangleright x) \\
 &= \lambda x . \{super \mapsto Locked\} \triangleright \{canOpen \mapsto 0x1234, canPass \mapsto 0x4711\} \triangleright x
 \end{aligned}$$

## Wrapper with Mixins

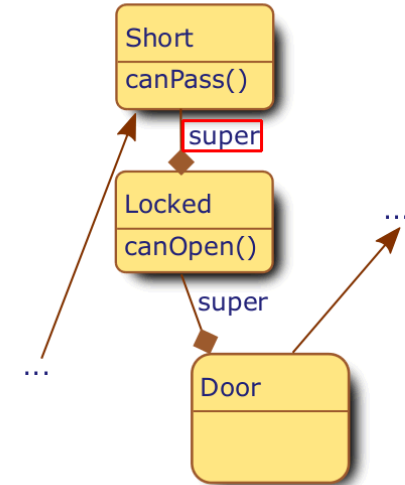


## Mixins on Implementation Level



```
class Door {
    boolean canOpen(Person p)...
    boolean canPass(Person p)...
}
mixin Locked {
    boolean canOpen(Person p)...
}
mixin Short {
    boolean canPass(Person p)...
}
class ShortDoor
    = Short(Door);
class ShortLockedDoor
    = Short(Locked(Door));
...

ShortDoor d
    = new ShortLockedDoor();
```



⚠ *non-static* super-References  
 ~~~ dynamic dispatching without precomputed virtual table

“Surely multiple inheritance is powerful enough to simulate mixins?”

## Simulating Mixins in C++



```
template <class Super>
class SyncRW : public Super {
public: virtual int read(){
    acquireLock();
    int result = Super::read();
    releaseLock();
    return result;
};
virtual void write(int n){
    acquireLock();
    Super::write(n);
    releaseLock();
};
// ... acquireLock & releaseLock
};
```

```
template <class Super>
class LogOpenClose : public Super {
public: virtual void open(){
    Super::open();
    log("opened");
};
virtual void close(){
    Super::close();
    log("closed");
};
protected: virtual void log(char*s) { ... };
};
class MyDocument : public SyncRW<LogOpenClose<Document>> {};
```

```
template <class Super>
class LogOpenClose : public Super {
public: virtual void open(){
    Super::open();
    log("opened");
};
virtual void close(){
    Super::close();
    log("closed");
};
protected: virtual void log(char*s) { ... };
};
class MyDocument : public SyncRW<LogOpenClose<Document>> {};
```

## True Mixins vs. C++ Mixins

### True Mixins

- super natively supported
- Mixins as Template do not offer composite mixins
- C++ Type system not modular
- ~> Mixins have to stay source code
- Hassle-free simplified version of multiple inheritance

### C++ Mixins

- Mixins reduced to templated superclasses
- Can be seen as coding pattern

### Common properties of Mixins

- Linearization is necessary
- ~> Exact sequence of Mixins is relevant

“Ok, ok, show me a language with native mixins!”

# Ruby

```
class Person
  attr_accessor :size
  def initialize
    @size = 160
  end
  def hasKey
    true
  end
end
class Door
  def canOpen(p)
    true
  end
  def canPass(person)
    person.size < 210
  end
end
```

```
module Short
  def canPass(p)
    p.size < 160 and super(p)
  end
end
```

```
module Locked
  def canOpen(p)
    p.hasKey() and super(p)
  end
end
```

```
class ShortLockedDoor < Door
  include Short
  include Locked
end
```

```
p = Person.new
d = ShortLockedDoor.new
puts d.canPass(p)
```

Mixins

Mixins

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# Ruby

```
class Door
  def canOpen(p)
    true
  end
  def canPass(person)
    person.size < 210
  end
end
module Short
  def canPass(p)
    p.size < 160 and super(p)
  end
end
module Locked
  def canOpen(p)
    p.hasKey() and super(p)
  end
end
```

```
module ShortLocked
  include Short
  include Locked
end
```

```
class Person
  attr_accessor :size
  def initialize
    @size = 160
  end
  def hasKey
    true
  end
end
```

```
p = Person.new
d = Door.new
d.extend ShortLocked
puts d.canPass(p)
```

Mixins

Mixins

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## Lessons Learned

### Lessons Learned

- 1 Formalisms to model inheritance
- 2 Mixins provide soft multiple inheritance
- 3 Multiple inheritance can not compensate the lack of super reference
- 4 Full extent of mixins only when mixins are 1st class language citizens

Mixins

Mixins

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## Further reading...

- 📖 Gilad Bracha and William Cook.  
Mixin-based inheritance.  
*European conference on object-oriented programming on Object-oriented programming systems, languages, and applications (OOPSLA/ECOOP), 1990.*
- 📖 James Britt.  
Ruby 2.1.5 core reference, December 2014.  
URL <https://www.ruby-lang.org/en/documentation/>.
- 📖 Matthew Flatt, Shriram Krishnamurthi, and Matthias Felleisen.  
Classes and mixins.  
*Principles of Programming Languages (POPL), 1998.*

Mixins

Further materials

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